

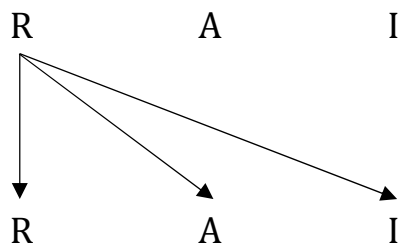
Zu einer Knotentheorie der ontischen Randrelation

1. Die semiotische Knotentheorie, die erst in ihren Anfängen steckt (vgl. v.a. Toth 2025a-d) vermag natürlich aufgrund von semiotisch-ontischer Isomorphie auch eine weiterführende topologische Untersuchung der Ontik zu leisten. Im vorliegenden Beitrag wird aufgrund des in Toth (2025e) bereitgestellten Apparates die Randrelation in ihrer vollständigen Thematisationsstruktur mit Hilfe von Knotendiagrammen abgeleiteter und nicht-abgeleiteter struktureller Realitäten dargestellt.

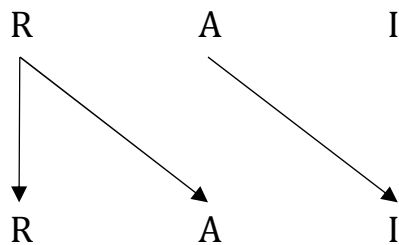
2. Thematisationen

2.1. R-Thematisationen

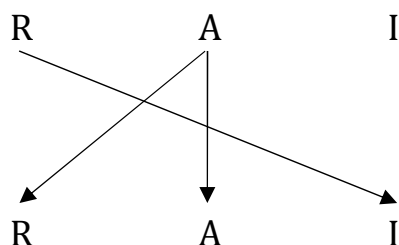
1. R.R.A R.I R-them. R (Vollst. R)



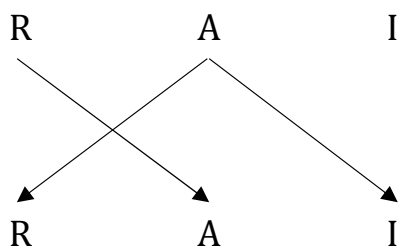
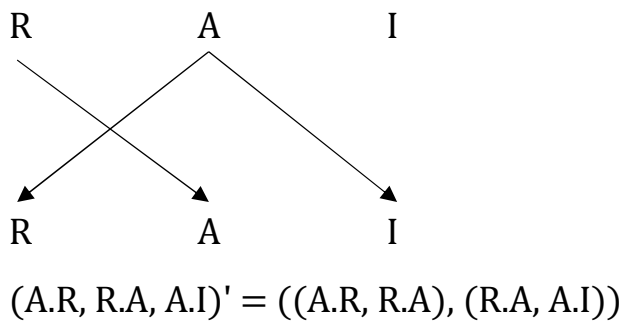
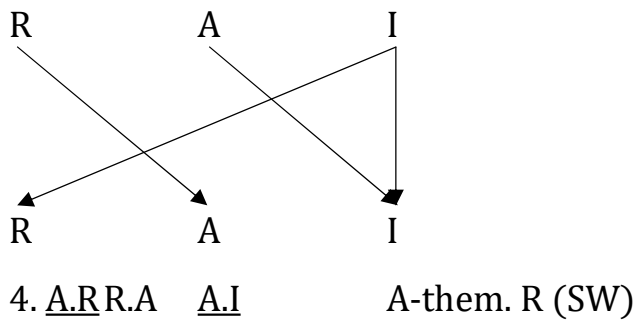
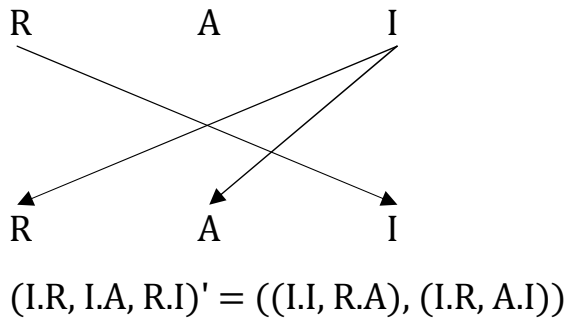
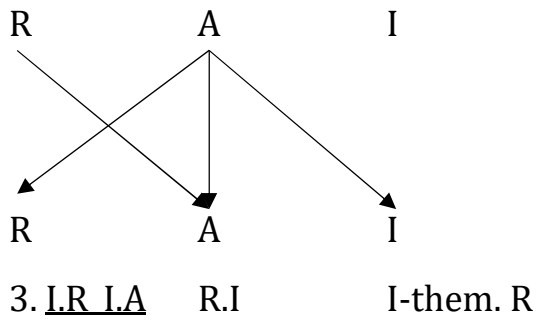
$$(R.R, R.A, R.I)' = ((R.R, R.A), (R.R, A.I))$$



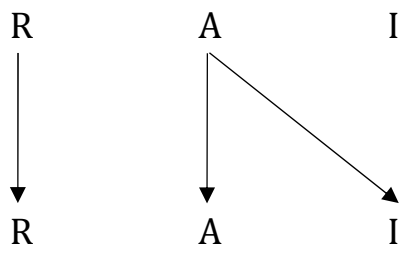
2. A.R.A.A R.I A-them. R



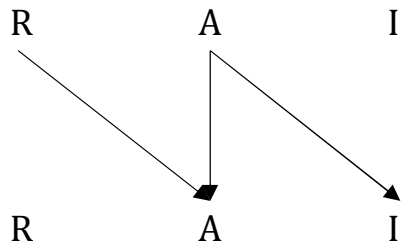
$$(A.R, A.A, R.I)' = ((A.A, R.A), (A.R, A.I))$$



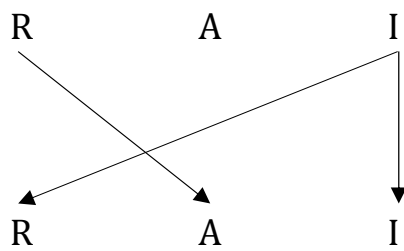
5. R.R.A.A A.I A-them. R



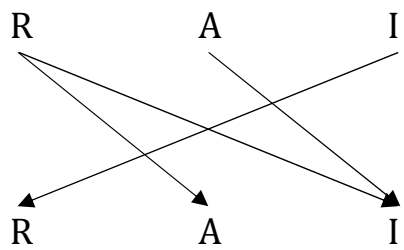
$(R.R, A.A, A.I)' = ((R.A, R.A), (A.A, A.I))$



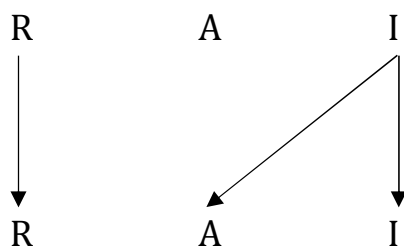
6. I.R R.A I.I I-them. R (SW)



$(I.R, R.A, I.I)' = ((I.R, R.A), (R.I, A.I))$

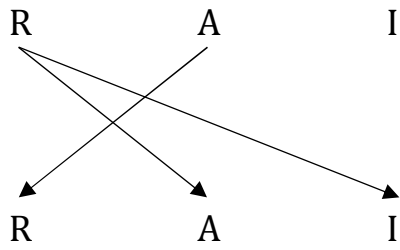


7. R.R.I.A I.I I-them. R

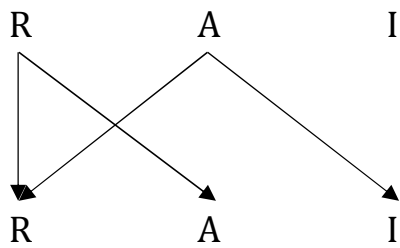


2.2. A-Thematisationen

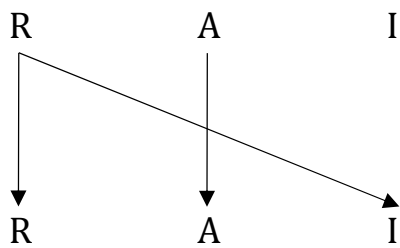
1. A.R.R.A R.I R-them. A



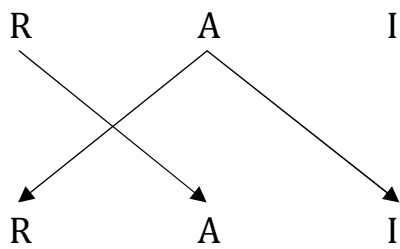
$$(A.R, R.A, R.I)' = ((A.R, R.A), (R.R, A.I))$$



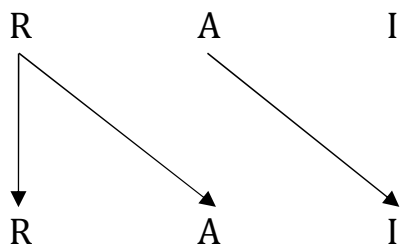
2. R.R.A.A R.I R-them. A (SW)



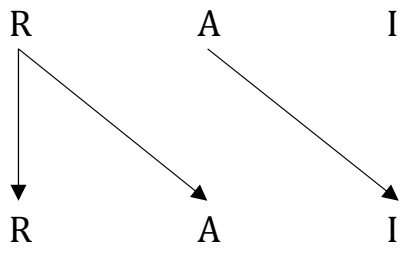
$$(R.R, A.A, R.I)' = ((R.A, R.A), (A.R, A.I))$$



3. R.R.R.A A.I R-them. A

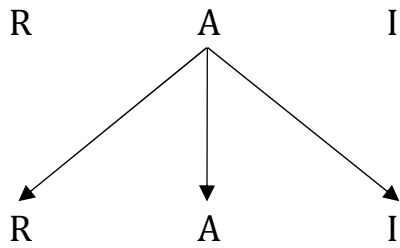


$$(R.R, R.A, A.I)' = ((R.R, R.A), (R.A, A.I))$$

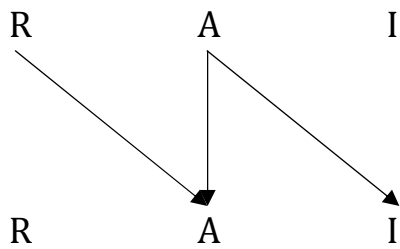


4. A.R A.A A.I

A-them. A (Vollst. A)



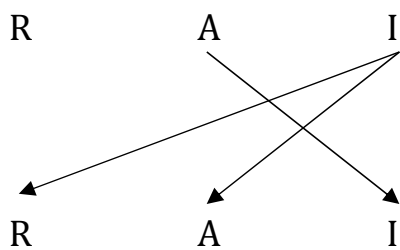
$$(A.R, A.A, A.I)' = ((A.A, R.A), (A.A, A.I))$$



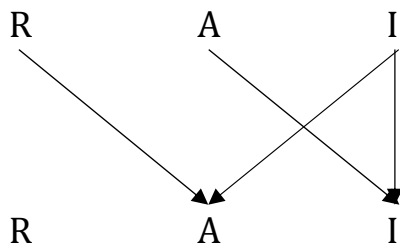
5. I.R I.A

A.I

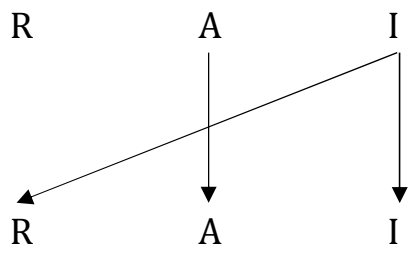
I-them. A



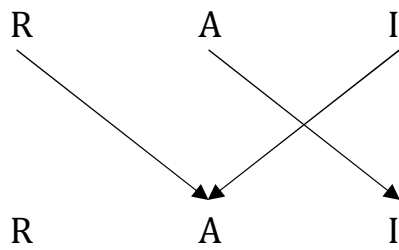
$$(I.R, I.A, A.I)' = ((I.I, R.A), (I.A, A.I))$$



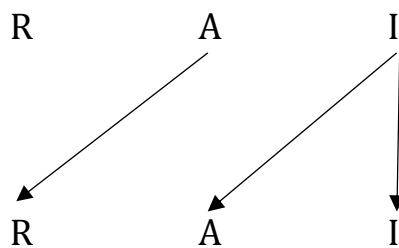
6. I.R A.A I.I I-them. A (SW)



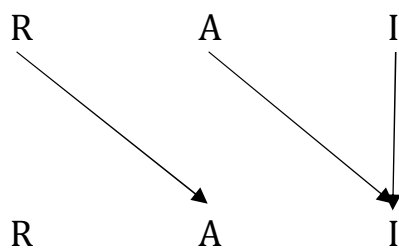
$(I.R, A.A, I.I)' = ((I.A, R.A), (A.I, A.I))$



7. A.R I.A I.I I-them. A

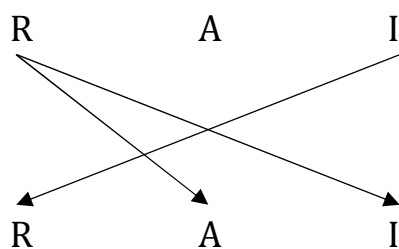


$(A.R, I.A, I.I)' = ((A.I, R.A), (I.I, A.I))$

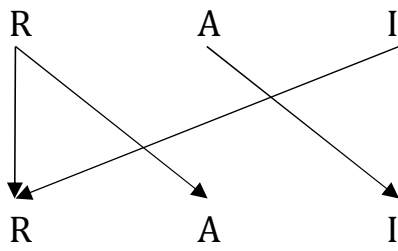


2.3. I-Thematisationen

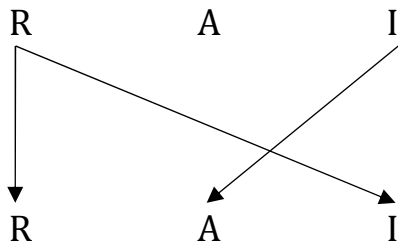
1. I.R R.A R.I R-them. I



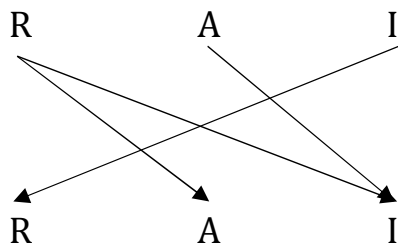
$$(I.R, R.A, R.I)' = ((I.R, R.A), (R.R, A.I))$$



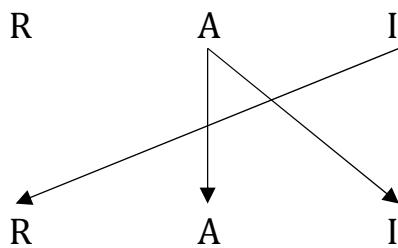
2. R.RI.A R.I R-them. I (SW)



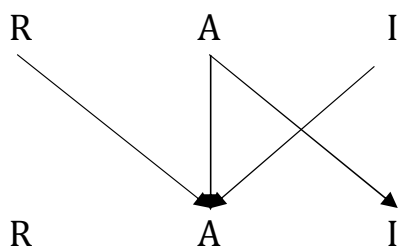
$$(R.R, I.A, R.I)' = ((R.I, R.A), (I.R, A.I))$$



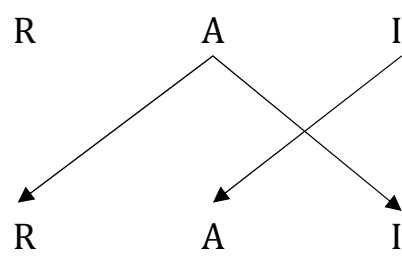
3. I.R A.A A.I A-them. I



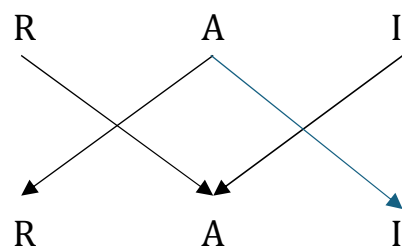
$$(I.R, A.A, A.I)' = ((I.A, R.A), (A.A, A.I))$$



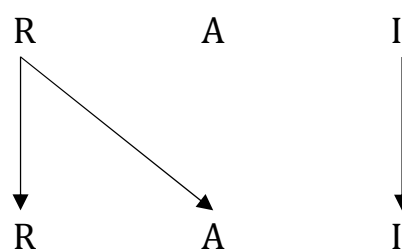
4. A.R.I.A A.I A-them. I (SW)



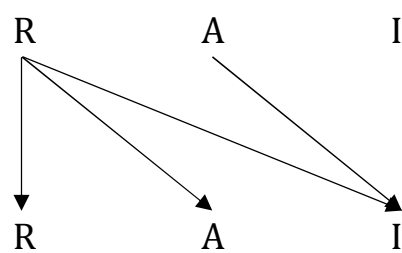
$(A.R, I.A, A.I)' = ((A.I, R.A), (I.A, A.I))$



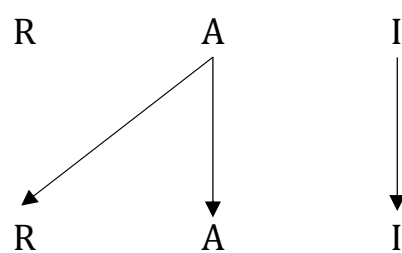
5. R.R.R.A I.I R-them. I



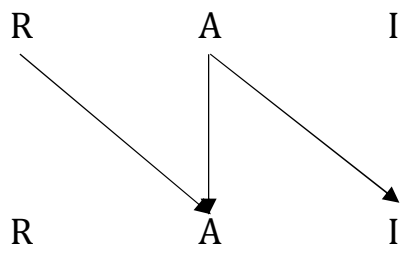
$(R.R, R.A, I.I)' = ((R.R, R.A), (R.I, A.I))$



6. A.R.A.A I.I A-them. I

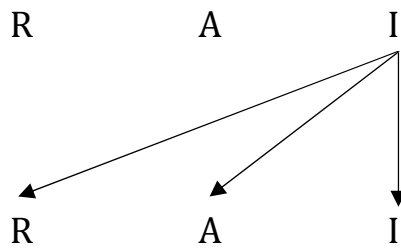


$$(A.R, A.A, I.I)' = ((A.A, R.A), (A.I, A.I))$$

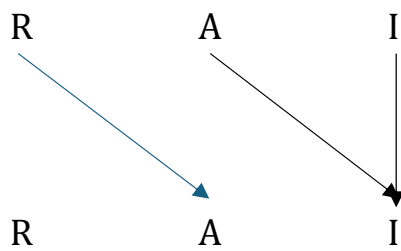


7. I.R I.A I.I

I-them. I (Vollst. I)

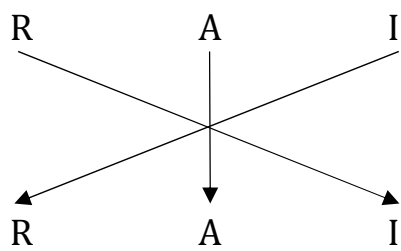


$$(I.R, I.A, I.I)' = ((I.I, R.A), (I.I, A.I))$$

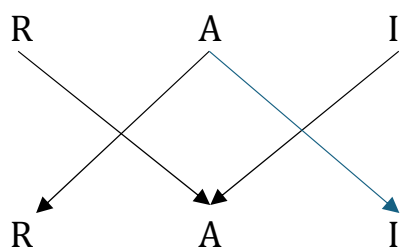


2.4. ER-Thematisation

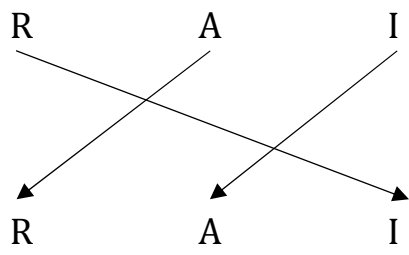
1. I.R A.A R.I ER



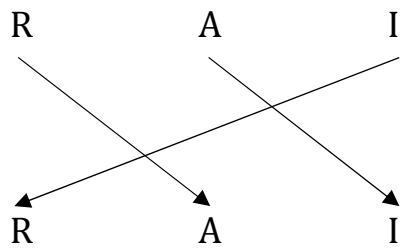
$$(I.R, A.A, R.I)' = ((I.A, R.A), (A.R, A.I))$$



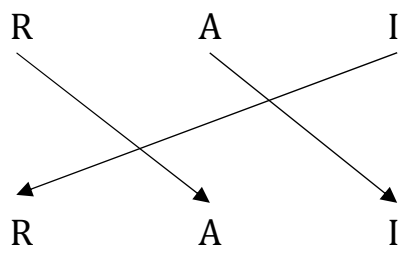
2. A.R.I.A R.I ER



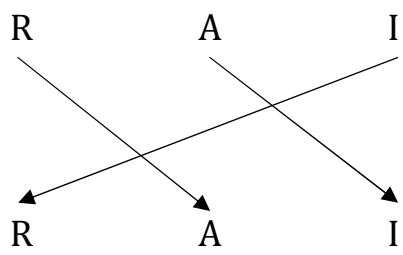
$$(A.R, I.A, R.I)' = ((A.I, R.A), (I.R, A.I))$$



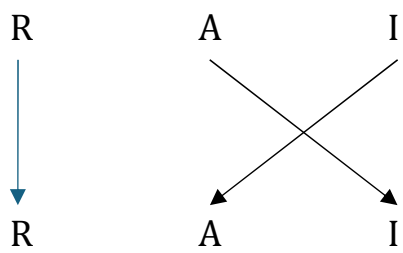
3. I.R R.A A.I ER



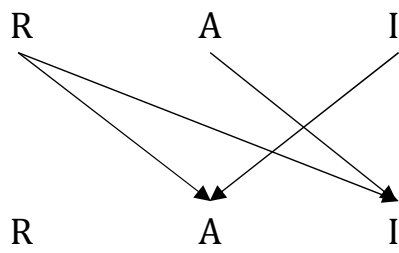
$$(I.R, R.A, A.I)' = ((I.R, R.A), (R.A, A.I))$$



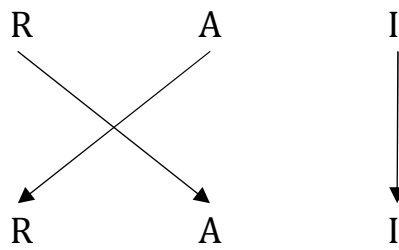
4. R.R.I.A A.I ER



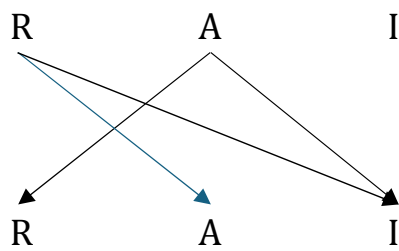
$$(R.R, I.A, A.I)' = ((R.I, R.A), (I.A, A.I))$$



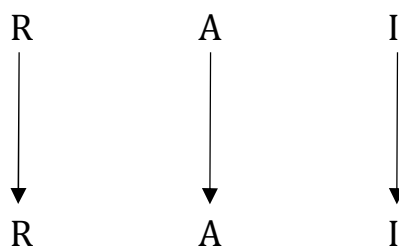
$$5. \underline{A.R.R.A} \quad \underline{I.I} \quad ER$$



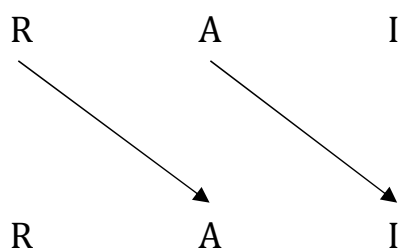
$$(A.R, R.A, I.I)' = ((A.R, R.A), (R.I, A.I))$$



$$6. \underline{R.R.A.A} \quad \underline{I.I} \quad ER$$



$$(R.R, A.A, I.I)' = ((R.A, R.A), (A.I, A.I))$$



Literatur

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7.10.2025